# Tabling Logic Programs in a Common Global Trie

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- In this work, we propose a new design for the table space where all tabled subgoal calls and tabled answers are stored in a common global trie instead of being spread over several different trie data structures.
- We will focus our discussion on a concrete implementation, the YapTab system, but our proposal can be generalized and applied to other tabling engines.

### **Table Space**

#### Can be accessed to:

- Look up if a subgoal is in the table, and if not insert it.
- Look up if a newly found answer is in the table, and if not insert it.
- Load answers for repeated subgoals.

#### Implementation requirements:

- Fast look-up and insertion methods.
- Compactness in representation of logic terms.

## **Using Tries to Represent Terms**

Tries are trees in which common prefixes are represented only once.



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- Each different path through the nodes in the trie corresponds to a term. Terms with common prefixes branch off from each other at the first distinguishing symbol.



# Using Tries to Organise the Table Space

#### Subgoal Trie Structure

- Stores the tabled subgoal calls.
- Starts at a table entry and ends with subgoal frames.
- A subgoal frame is the entry point for the subgoal answers.

```
:- table t/2.
t(X,Y) :- term(X), term(Y).
term(a(1)). term(a(2)).
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#### Answer Trie Structure

- Stores the subgoal answers.
- Answer tries hold just the substitution terms for the free variables which exist in the argument terms of the corresponding subgoal call.

```
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t(X,Y) :- term(X), term(Y).
```

term(a(1)).

term(a(2)).



### **Commom Global Trie**

#### Global Trie Structure

All tabled subgoal calls and tabled answers are stored in a common global trie (GT) instead of being spread over several different trie data structures.
The GT data structure still is a tree structure where each different path through the trie nodes corresponds to a subgoal call and/or answer.
However, here a path can end at any internal trie node and not necessarily at

a leaf trie node.



# **Commom Global Trie**

- The original subgoal trie and answer trie data structures are now represented by a unique level of trie nodes that point to the corresponding paths in the GT.
- For the subgoal tries, each node is a pointer to the GT's path representing the subgoal call.
- For the answer tries, each node is a pointer to the GT's path representing the answer.



# **Implementation Details: Tabling Operations**

#### ► The table space can be accessed to:

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#### How to deal with table abolish operations.

How to support the completed table optimization, an optimization that implements answer recovery by top-down traversing the completed answer trie and by executing specific WAM-like code from the answer trie nodes.



## **Experimental Results**

| Terms     | YapTab |       |      | YapTab+GT / YapTab |       |      |
|-----------|--------|-------|------|--------------------|-------|------|
|           | Mem    | Store | Load | Mem                | Store | Load |
| 500 ints  | 49074  | 238   | 88   | 1.08               | 1.29  | 1.05 |
| 500 atoms | 49074  | 256   | 88   | 1.08               | 1.18  | 1.05 |
| 500 f/1   | 49172  | 336   | 176  | 1.07               | 1.33  | 0.77 |
| 500 f/2   | 98147  | 430   | 190  | 0.58               | 1.16  | 0.82 |
| 500 f/3   | 147122 | 554   | 220  | 0.41               | 1.04  | 0.80 |
| 500 f/4   | 196097 | 596   | 210  | 0.33               | 1.07  | 0.94 |
| 500 f/5   | 245072 | 676   | 258  | 0.28               | 1.00  | 0.84 |
| 500 f/6   | 294047 | 796   | 290  | 0.25               | 1.01  | 0.83 |
| Average   |        |       |      | 0.64               | 1.14  | 0.89 |

Memory usage in KBytes and store/load times in milliseconds for a t/5 tabled predicate that simply stores in the table space terms defined by term/1 facts, called recursively with all combinations of one and two free variables in the arguments.

### **Conclusions and Further Work**

- We have presented a new design for the table space organization where all tabled subgoal calls and tabled answers are stored in a common global trie instead of being spread over several different trie data structures.
- Our goal is to reduce redundancy in term representation, thus saving memory by sharing data that is structurally equal.
- Our preliminary experiments showed very significant reductions on memory usage.
- As further work we intend to study how alternative designs for the table space organization can efficiently solve our two small problems and/or further reduce redundancy in term representation.

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![](_page_22_Figure_3.jpeg)