## Problem A - As Cartas da Alice

Check our instructions page for detailed information on the qualification and the format of this problem.

Alice, well-known around the world for her card tricks, needs an assistant for her next performance. When starting her trick, Alice shows the audience a deck with $\boldsymbol{N}$ cards, numbered from 1 to $\boldsymbol{N}$ and set in increasing order. Alice is in charge of handling the cards and shuffling them around, but you are left with an equally important task: determining the order of the cards by the end of the trick.

## Part I

The simplest operation Alice uses in her tricks is called a swap. A swap consists of picking two cards from the deck in different positions $\boldsymbol{A}$ and $\boldsymbol{B}$, and swapping them. For instance, if a deck with 6 cards is currently ordered as 164523 and Alice
 performs a swap between positions $\boldsymbol{A}=3$ and $\boldsymbol{B}=5$, then the resulting deck will be ordered as 162543 .

Thus, given the size of the deck $\boldsymbol{N}$, the number of swaps
$\boldsymbol{K}$, and the positions of the swaps (given by the numbers $\boldsymbol{A}_{\mathbf{1}}, \boldsymbol{B}_{\mathbf{1}}, \boldsymbol{A}_{\mathbf{2}}, \boldsymbol{B}_{\mathbf{2}}, \ldots$ ), you will have to determine the deck's final order. (See the Input Format section for more information on how these values will be provided.)

## Example

For instance, if Alice uses a deck with $\boldsymbol{N}=6$ cards and performs $\boldsymbol{K}=2$ swaps, the first between positions $\boldsymbol{A}_{\mathbf{1}}=2$ and $\boldsymbol{B}_{\mathbf{1}}=6$, and the second between positions $\boldsymbol{A}_{\mathbf{2}}=4$ and $\boldsymbol{B}_{\mathbf{2}}=6$, we will have the following process:

- First, Alice takes the second and the sixth cards, and swaps their positions.
- Then, with the deck order obtained in the previous step, she swaps the fourth and the sixth cards.
- Finally, the resulting deck is ordered as 163254.

The following picture illustrates this process.


## Constraints

The following limits are guaranteed for all test cases of this Part that will be given to the program:
$1 \leq \boldsymbol{N} \leq 10^{3} \quad$ Deck size
$1 \leq \boldsymbol{K} \leq 10^{3} \quad$ Number of swap operations
The test cases of this Part of the problem are organized into two groups:

| Subtask | Points | Additional Constraints |
| :--- | :--- | :--- |
| 1 | 20 | $\boldsymbol{N} \leq 10$ |
| 2 | 30 | No further constraints |

## Part II

The other operation that Alice can use in her tricks is the shuffle. A shuffle consists of taking the first $\boldsymbol{X}$ cards from the deck and then interleaving them with the remaining ones (see the example
below for more information). For instance, if the deck has $\boldsymbol{N}=7$ cards, with the deck order 1234567 , and a shuffle with $\boldsymbol{X}=3$ is performed, then we obtain the order 1425367 . The value of $\boldsymbol{X}$ is always at most $\boldsymbol{N} / 2$

Thus, given the deck size $\boldsymbol{N}$, the number of shuffles $\boldsymbol{K}$, and how many cards are shuffled in each one (given by the numbers $\boldsymbol{X}_{1}, \boldsymbol{X}_{2}, \ldots$ ), you have to determine the final deck order. (See the Input Format section for more information on how these values will be provided.)

## Example

Consider the following example, where the deck has $\boldsymbol{N}=6$ cards and $\boldsymbol{K}=2$ shuffle operations are performed, with $\boldsymbol{X}_{\mathbf{1}}=2$ and $\boldsymbol{X}_{\mathbf{2}}=3$.

- First, Alice takes the first two cards of the deck in the order 123456 , and interleaves them with the remaining ones.
- Next, she takes the first three cards of the deck in the newly obtained order, 132456 , and repeats the process.
- In the end, the deck is ordered as 143526 .

The following image illustrates the result of applying the first shuffle:


The following image illustrates the result of applying the second shuffle:


## Constraints

The following limits are guaranteed for all test cases of this Part that will be given to the program:

$$
\begin{aligned}
& 1 \leq \boldsymbol{N} \leq 10^{3} \quad \text { Deck size } \\
& 1 \leq \boldsymbol{K} \leq 10^{3} \quad \text { Number of shuffle operations }
\end{aligned}
$$

The test cases of this Part of the problem are organized into two groups:

| Subtask | Points | Additional Constraints |
| :--- | :--- | :--- |
| 3 | 20 | $\boldsymbol{N} \leq 10$ |
| 4 | 30 | No further constraints |

## Summary of Subtasks

The test cases for the problem are organized into four groups with different additional restrictions:

| Subtask | Points | Part | Additional Constraints |
| :--- | :--- | :--- | :--- |
| 1 | 20 | Part I | $\boldsymbol{N} \leq 10$ |
| 2 | 30 | Part I | No further constraints |
| 3 | 20 | Part II | $\boldsymbol{N} \leq 10$ |
| 4 | 30 | Part II | No further constraints |

## Input Format

The first line contains an integer $\boldsymbol{P}$ which represents the Part of this test case. If it's equal to 1 , then the test case refers to Part I, while, if it's equal to 2 , then it refers to Part II.

Then follows a line with two integers separated by spaces, the first being $\boldsymbol{N}$, the number of cards in the deck, and the next being $\boldsymbol{K}$, the number of operations being performed.

The next part of the input depends on the test case's Part.
In a test case from Part I, this is followed by $\boldsymbol{K}$ lines, each one with two integers separated by spaces, $\boldsymbol{A}_{\boldsymbol{i}}$ and $\boldsymbol{B}_{\boldsymbol{i}}$, the positions of the cards being swapped in the $i$-th swap operation.

In a test case from Part II, this is followed by $\boldsymbol{K}$ lines, each one with an integer, $\boldsymbol{X}_{\boldsymbol{i}}$, the number of cards being shuffled in the $i$-th shuffle operation. It is guaranteed that the value of the $\boldsymbol{X}_{\boldsymbol{i}}$ is always at most $\boldsymbol{N} / 2$.

## Output Format

The output must contain $\boldsymbol{N}$ lines, each one with one integer representing the number of the card in that respective position, in the deck's final order.

## Example 1 Input

```
1
6}
26
46
```


## Example 1 Output

```
1
6
3
2
5
4
```


## Example 1 Description

This example corresponds to the example mentioned in Part I of the problem statement.

## Example 2 Input

```
2
6
2
3
```


## Example 2 Output

```
1
4
3
5
2
6
```


## Example 2 Description

This example corresponds to the example mentioned in Part II of the problem statement.

Organizers


