

# Information systems for health care: a case study

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# Information systems for health care

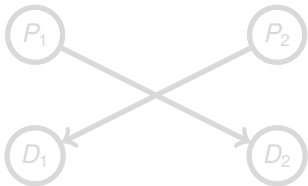
- Expected to be one of the areas where more effort will be applied in the next few years
- Has issues involving the all the disciplines of computer science and informatics
- Information systems have a huge impact in terms of
  - 1 economy
  - 2 social benefits
  - 3 work rationalization
  - 4 reliability

# KEP: kidney exchange program

- in many countries, recent legislation allows patients needing a kidney transplant to receive it from a living donor
- what to do when the transplant from that donor is not possible?
  - blood type
  - other incompatibilities
- patient-donor pair may enter a **kidney exchange program (KEP)**

# Kidney exchanges

- idea: allow two (or more) patients in incompatible pairs to exchange their donors
- each recipient receives a compatible kidney from the donor of another pair



Incompatible pairs  $P_1 - D_1$  and  $P_2 - D_2$  exchange donors

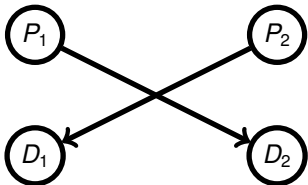
- $P_1$  receives a transplant from  $D_2$  and vice versa

Graph representation:

- vertices are patient-donor pairs
- arcs link a patient to compatible donors

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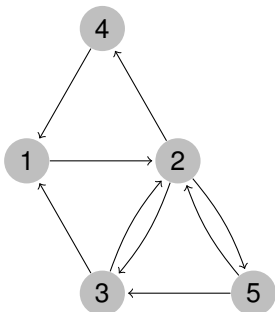
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**Graph representation:**

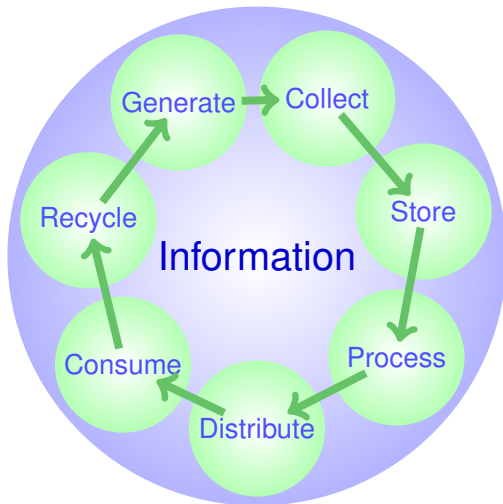
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# Kidney exchanges: example



- instance with five pairs
- the maximum number of transplants is four:  
**cycle 1 – 2 – 5 – 3 – 1**
- what if the allowed number of simultaneous transplants is three?
- what if it is two?

# The information cycle in health care systems





# Information cycle: generation

- Who enters the program?
  - an individual?
  - a doctor?
  - a hospital?
- How to assure reliability of the data?
  - who is responsible?
  - who checks its accuracy?
- Who stores the information?
- Dynamic system: environment continuously changing

# Information cycle: transmission

- How can the information be shared? with whom?
- How to ensure privacy? what is privacy in this context?
- Can information be misused?
- How to ensure its quality?
- How/when should shared information be updated?

# Information cycle: processing and management

- How to **optimize** the system for the current data → **efficiency**
- Is the solution found in a **reasonable time**? → **effectiveness**
- Will the solution stand with **changes** in data? → **robustness**

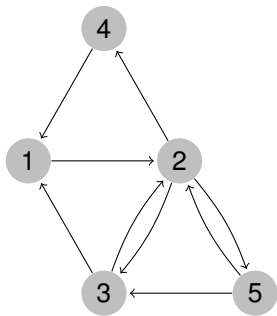
# Information cycle: usage

- How to implement the solution found?
- Update information:
  - remove outdated information
  - insert new information
- Speed of implementation is crucial:
  - will the agents be still available?
  - will their condition be one considered?

# Information processing

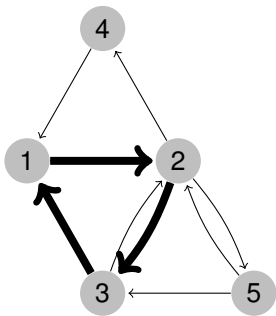
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# Kidney exchanges: example



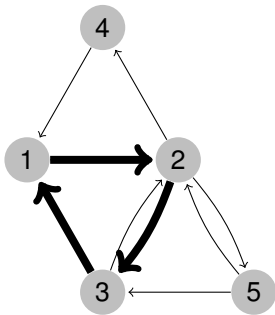
- **feasible exchange:** a set of vertex-disjoint cycles (e.g.,  $1 - 2 - 3 - 1$ )
- size of an exchange: sum of the lengths of its cycles
- maximum exchange in this example: 4 (cycle  $1 - 2 - 5 - 3 - 1$ )

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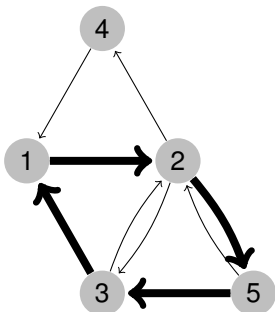
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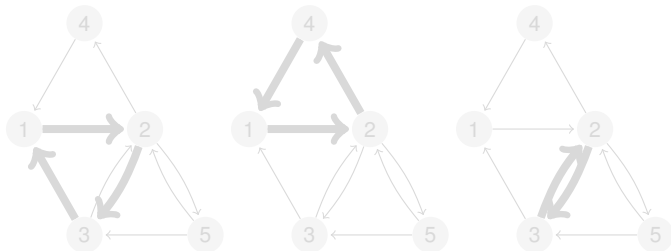
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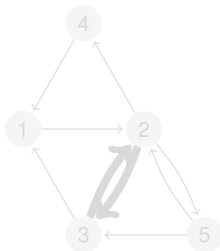
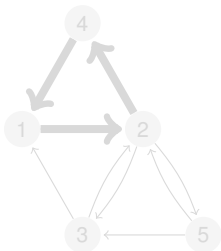
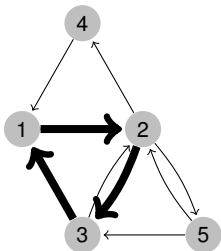
# Kidney exchanges: maximum cycle size

- In many situations the **length of each cycle is limited**:
  - limitations in the number of operation rooms
  - number of surgeons available
- If maximum cycle size is  $k = 3$ , several solutions are possible.



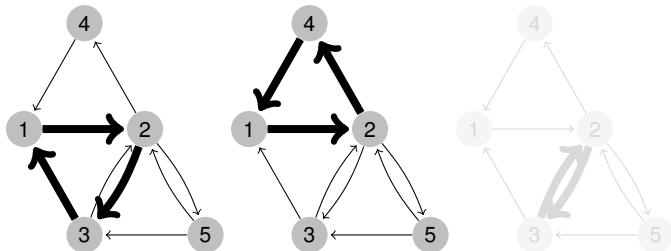
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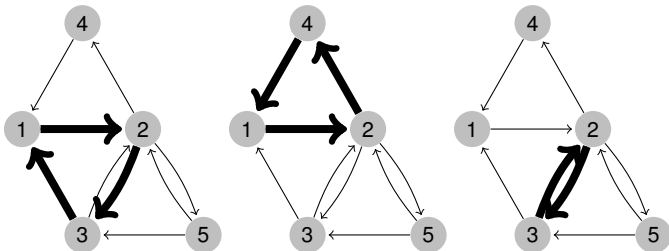
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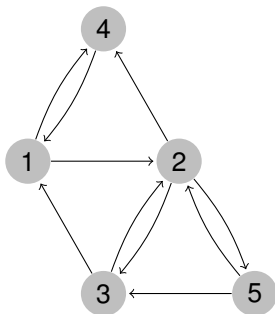


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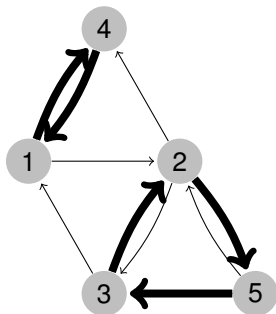
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# Maximum cycle size and NP-hardness

- In many situations the length of each cycle is limited
- If length is **not limited** → *assignment problem*  
(polynomial algorithms are known, e.g., hungarian algorithm).
- If length is **limited to 2** → *matching problem*  
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- If length is **limited to 3, 4, ...** → *problem is NP-hard*  
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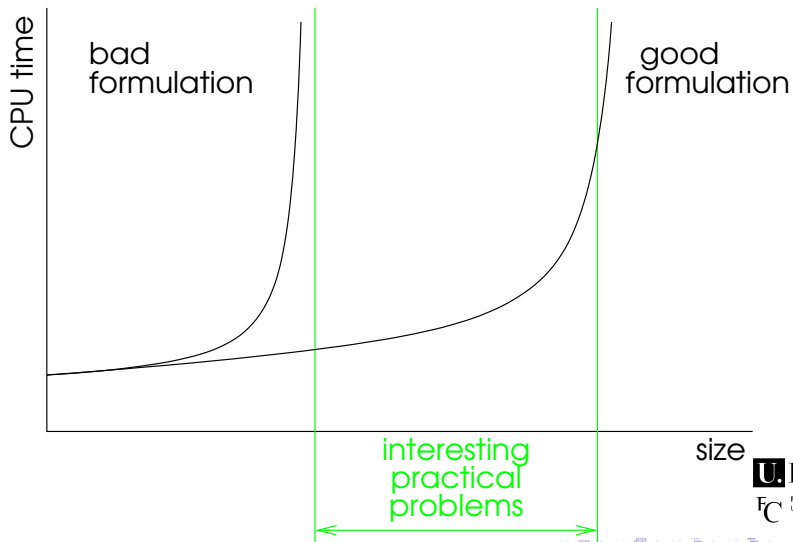
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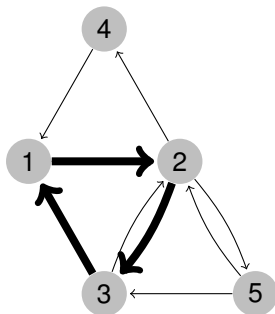
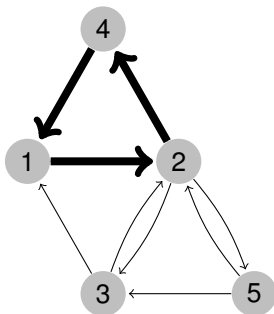
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# NP-hard problems



# Mathematical programming formulations

- There are several possibilities for modeling the problem in mathematical programming
- One of the most successful is the *cycle formulation*:
  - enumerate all cycles in the graph with length at most  $k$
  - for each cycle  $c$ , let variable  $x_c$  be 1 if  $c$  is chosen, 0 otherwise
  - every feasible solution corresponds to a set of vertex-disjoint cycles



# Cycle formulation

$$\text{maximize } \sum_c w_c x_c \quad (1a)$$

$$\text{subject to } \sum_{c:i \in c} x_c \leq 1 \quad \forall i \quad (1b)$$

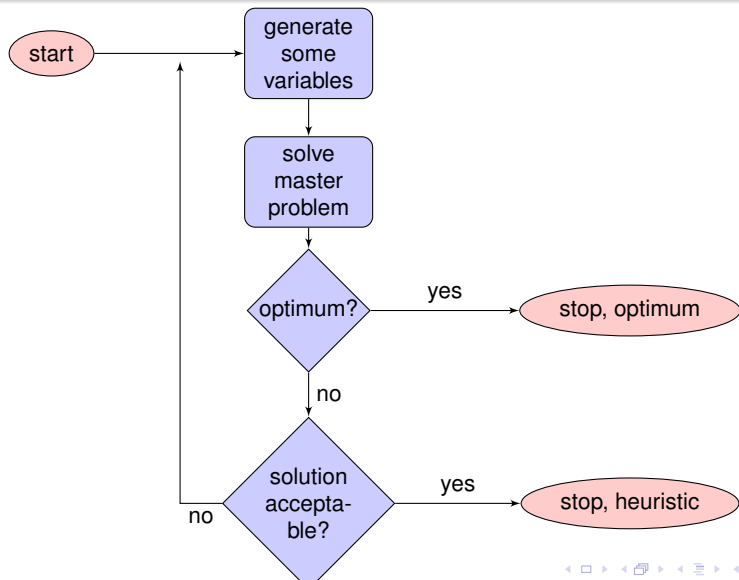
$$x_c \in \{0, 1\} \quad \forall c$$

- case of 0 – 1 weights:  $w_c = |c|$ , (length of cycle  $c$ )
- objective: maximize the weight of the exchange
- constraints: every vertex is at most in one cycle (*i.e.*, donate/receive at most one kidney)
- difficulty: number of variables

# Cycle formulation

- Exponential number of variables
- Not all are needed for solving the problem
- Use only those necessary → **column generation**

# Column generation





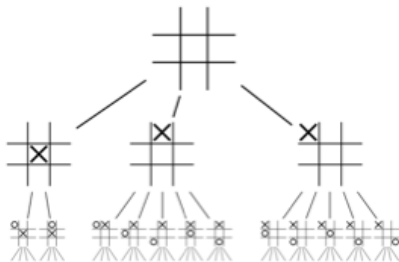
# Current results

- Cycle formulation seems to be more than able to process foreseen number of patient-donor pairs in the KEP in Portugal
- Besides, it may allow to treat slightly different objectives:
  - produce robust solutions
  - maximize **expectation** of the number of transplants
- What if the “*market*” becomes the European Union?

# KEP benefits

- *“For someone to win, somebody else has to loose”???*
- No, this is **NOT** a zero-sum game!
- Value of the game: **number of transplants done.**
- This being said, care has to be taken: many **ethical issues**

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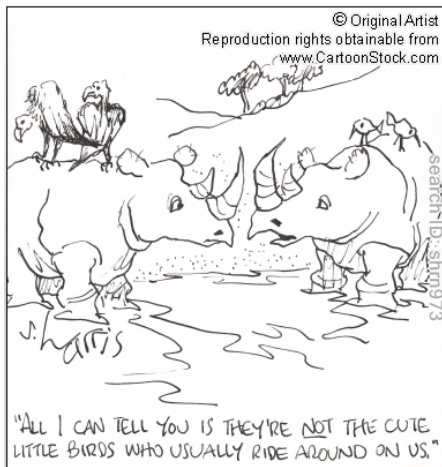


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# Final remarks

- Government/Regulation: from the ethical point of view, it is **not acceptable** that a KEP is left unimplemented
- But for implementing it, a number of questions have to be addressed:
  - Fairness: are agents being treated in an equitable way?
    - many operations for one hospital
    - no operations for another
  - What to do if in the optimum there is a clear loser?
  - Incentives → **market design**.
  - How to deal with multiple possible donors?
  - All the issues raised in *information life cycle*
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# Conclusions

- There are many applications of information technologies in health care
- Applications involve many disciplines in computer science and informatics
- KEP: case where welfare of patients can be maximized
  - number of transplants
  - robustness of the solution
  - quality of the solution (maximize patient-donor compatibility)
- Careful implementation of operations research program leads to significant social benefits