# Towards Multi-Threaded Local Tabling Using a Common Table Space

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## **Prolog and SLD Resolution**

- Prolog systems are known to have good performances and flexibility, but they are based on SLD resolution, which limits the potential of the Logic Programing paradigm.
- > SLD resolution cannot deal properly with the following situations:
  - Positive Infinite Cycles (insufficient expressiveness)
  - Negative Infinite Cycles (inconsistence)
  - Redundant Computations (inefficiency)

```
path(X,Z) :- path(X,Y), edge(Y,Z).
path(X,Z) :- edge(X,Z).
edge(1,2).
edge(2,1).
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## Tabling in Logic Programming

- Tabling is an implementation technique that overcomes some of the limitations of SLD resolution.
  - Tabled subgoals are evaluated by storing their answers in an appropriate data space, called the table space.
  - Variant calls to tabled subgoals are resolved by consuming the answers already stored in the table instead of being re-evaluated against the program clauses.

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- Implementations of tabling are currently available in systems like XSB Prolog, Yap Prolog, B-Prolog, ALS-Prolog, Mercury and Ciao Prolog.
- The two most successful tabling strategies are batched evaluation and local evaluation. This work is focused on local evaluation, i.e., the evaluation fails, whenever a new or a repeated answer is found.

Tabled Predicate Compliled Code

Table Entry







### Table Space - Example



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- In XSB, tables may be either shared or private between threads.
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- For shared tables, XSB uses a semi-naive approach that, when a set of subgoals computed by different threads is mutually dependent, then a usurpation algorithm synchronizes threads and a single thread assumes the computation of all subgoals, turning the remaining threads into consumer threads.
- For private tables, XSB allocates a private table for each subgoal called and the table is only available for the calling thread.

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- Private tables have the following disadvantages if several threads are calling the same tables:
  - Memory usage stress on the memory allocator causes a degradation of performance;
  - Waste of CPU resources the same table is evaluated by all of the calling threads.
- In this work, we propose an alternative view to XSB's approach. In our proposal, each thread views its tables as private but, at the engine level, we use a common table space where tables are shared among all threads.









### Multi-Threaded Tabling - No Sharing



### **Multi-Threaded Tabling - No Sharing**



### Multi-Threaded Tabling - Subgoal Sharing



### Multi-Threaded Tabling - Subgoal Sharing



### Multi-Threaded Tabling - Full Sharing



### Multi-Threaded Tabling - Full Sharing



### **Implementation Details - Bucket Arrays**



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#### Try-Locks Approach



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### **Path Problem - Configuration**



### **Experimental Results - Path Left Benchmark**

#### **Execution Time (Overhead Ratio To NS):** 1 Working Thread (WT)

Config	NS	$SS_T$	FS	$FS_T$	XSB
BTree	2,966	2,998 (1.01)	3,826 (1.29)	3,864 (1.30)	2,798 (0.94)
Pyramid	3,085	3,159 (1.02)	3,256 (1.06)	3,256 (1.06)	2,928 (0.95)
Cycle	3,828	3,921 (1.02)	3,775 (0.99)	3,798 (0.99)	3,357 (0.88)
Grid	1,743	1,791 (1.03)	2,280 (1.31)	2,293 (1.32)	2,034 (1.17)
	Average	(1.02)	(1.16)	(1.17)	(0.98)

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#### Overhead Ratio To NS With 1 WT: 16 and 24 WTs

Config		•	16 WT	ัร		24 WTs				
	NS	$SS_T$	FS	$FS_T$	XSB	NS	$SS_T$	FS	$FS_T$	XSB
BTree	9.85	9.78	6.88	<b>4.81</b>	5.11	25.65	25.42	8.03	5.97	8.09
Pyramid	7.67	7.79	3.74	3.40	4.40	24.92	24.88	5.86	<b>4.48</b>	7.02
Cycle	7.32	7.38	3.73	3.25	4.36	22.39	23.05	5.95	<b>4.08</b>	6.99
Grid	5.99	6.00	3.77	3.15	2.41	19.82	19.80	4.65	4.46	5.30
Average	7.71	7.74	4.53	3.65	4.07	23.20	23.29	6.12	4.75	6.85

### **Experimental Results - Path Right Benchmark**

#### **Execution Time (Overhead Ratio To NS):** 1 Working Thread (WT)

Config	NS	$SS_T$	FS	$FS_T$	XSB
BTree	4,568	5,048 (1.11)	5,673 (1.24)	5,701 (1.25)	3,551 (0.78)
Pyramid	2,520	2,531 (1.00)	3,664 (1.45)	3,673 (1.46)	2,350 (0.93)
Cycle	2,761	2,773 (1.00)	3,994 (1.45)	3,992 (1.45)	2,817 (1.02)
Grid	2,109	2,110 (1.00)	3,097 (1.47)	3,117 (1.48)	2,462 (1.17)
	Average	(1.03)	(1.40)	(1.41)	(0.97)

#### **Overhead Ratio To NS With 1 WT:** 16 and 24 WTs

Config			16 WTs			24 WTs				
Conng	NS	$SS_T$	FS	$FS_T$	XSB	NS	$SS_T$	FS	$FS_T$	XSB
BTree	13.82	13.13	10.57	<b>5.5</b> 4	6.33	29.53	27.36	10.16	6.76	10.38
Pyramid	17.09	17.00	14.85	8.15	<b>5.94</b>	46.25	45.31	10.86	10.42	10.31
Cycle	17.96	18.17	17.05	8.36	<b>6.63</b>	47.89	47.60	11.49	10.76	10.99
Grid	9.52	9.48	7.13	5.53	3.75	26.58	27.80	7.50	6.96	<b>6.41</b>
Average	14.60	14.44	12.40	6.90	5.66	37.56	37.02	10.00	8.73	9.52

### **Experimental Results - Model Checking Benchmark**

#### **Execution Time (Overhead Ratio To NS):** 1 Working Thread (WT)

Config	NS	$SS_T$	FS	$FS_T$	XSB	
IProto	2,517	2,449 (0.97)	2,816 (1.12)	2,828 (1.12)	3,675 (1.46)	
Leader	3,726	3,800 (1.02)	3,830 (1.03)	3,897 (1.05)	10,354 (2.78)	
Sieve	23,645	24,402 (1.03)	24,479 (1.04)	25,201 (1.07)	27,136 (1.15)	
	Average	(1.01)	(1.06)	(1.08)	(1.80)	

#### Overhead Ratio To NS With 1 WT: 16 and 24 WTs

Config	<b>16 WT</b> s					24 WTs				
Conng	NS	$SS_T$	FS	$FS_T$	XSB	NS	$SS_T$	FS	$FS_T$	XSB
IProto	4.15	4.20	1.60	1.55	1.92	7.16	7.31	1.71	1.63	2.14
Leader	1.02	1.04	1.05	1.07	2.80	1.02	1.04	1.05	1.07	2.79
Sieve	1.01	1.04	1.05	1.08	1.15	1.02	1.04	1.06	1.08	1.15
Average	2.06	2.09	1.24	1.23	1.95	3.07	3.13	1.27	1.26	2.03

### **Experimental Results - Statistics**

#### **Characteristics Of The Benchmarks:** 1 Working Thread (WT)

Bonch	-	Tabled Subgo	pals	Tabled Answers					
Dench	calls	trie nodes	trie depth	unique	repeated	trie nodes	trie depth		
Path Left									
BTree	1	3	2/2/2	1,966,082	0	2,031,618	2/2/2		
Pyramid	1	3	2/2/2	3,374,250	1,124,250	3,377,250	2/2/2		
Cycle	1	3	2/2/2	4,000,000	2,000	4,002,001	2/2/2		
Grid	1	3	2/2/2	1,500,625	4,335,135	1,501,851	2/2/2		
Path Righ	t								
BTree	131,071	262,143	2/2/2	3,801,094	0	3,997,700	1/2/2		
Pyramid	3,000	6,001	2/2/2	6,745,501	2,247,001	6,751,500	1/2/2		
Cycle	2,001	4,003	2/2/2	8,000,000	4,000	8,004,001	1/2/2		
Grid	1,226	2,453	2/2/2	3,001,250	8,670,270	3,003,701	1/2/2		
Model Ch	ecking								
IProto	1	6	5/5/5	134,361	385,423	1,554,896	4/51/67		
Leader	1	5	4/4/4	1,728	574,786	41,788	15/80/97		
Sieve	1	7	6/6/6	380	1,386,181	8,624	21/53/58		

### Conclusions

We have presented a new approach to multi-threaded tabled evaluation of logic programs using a local evaluation strategy.

Our approach have three designs :

- No-Sharing (NS);
- Subgoal-Sharing (SS);
- Full-Sharing (FS)
  - \* Experiments do show that the **FS** design can **effectively reduce** the **memory consumption** (almost linear to the number of working threads) and the **execution time** (even in worst case scenarios).

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- We have presented a new approach to multi-threaded tabled evaluation of logic programs using a local evaluation strategy.
- Our approach have three designs :
  - No-Sharing (NS);
  - Subgoal-Sharing (SS);
  - Full-Sharing (FS)
    - \* Experiments do show that the **FS** design can **effectively reduce** the **memory consumption** (almost linear to the number of working threads) and the **execution time** (even in worst case scenarios).
- Further work will include following features:
  - Yap's memory allocator better support for multi-threading;
  - support for lock-free synchronization (current version is lock-based);
  - support for batched scheduling for the FS design.

### Thank You !!!

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Yap Prolog : *http://www.dcc.fc.up.pt/~vsc/Yap* 

Projects LEAP and HORUS: *http://cracs.fc.up.pt/* 





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