

Concurrent Programming - Exercícios 2

CCS sequential

1. Solve the exercises of CCS_0 in <https://pseuco.com/#/exercises> (Pseuco.com)

2. Let $Act = \{a, b, c\}$, compute using the inference system:

(a) $\llbracket a.b.0 + 0 \rrbracket$

(b) $\llbracket a.(b.0 + 0) \rrbracket$

(c) $\llbracket a.b.c.0 + b.(0 + a.0) \rrbracket$

3. Consider the following definition of a coffee machine

$$CM := coin.coffee.CM$$

(a) Compute Γ and $\llbracket CM \rrbracket_\Gamma$ and implement it in pseuco.com

(b) Write a process that behaves as CM can steal the coin, i.e., does not give coffee.

(c) Write a process that behaves as CM but can give coffee or tea.

(d) Write a process that behaves as CM but can give tea for 0.5 euros and coffee for 1 euro.

(e) Repeat (a) for the last questions.

4. Let

$$\Gamma = \{(P, a.P_1), (P_1, b.P + c.P), (Q, a.Q_1), \\ (Q_1, b.Q_2 + c.Q), (Q_2, a.Q_3), (Q_3, b.Q + c.Q_2)\}$$

Using the inference system \longrightarrow_Γ , compute $\llbracket P \rrbracket_\Gamma$ e $\llbracket Q \rrbracket_\Gamma$. Draw the diagrams. Implement in pseuco.com.

5. For each expression and set of equations, indicate the set Γ and the semantics of each expression using \longrightarrow_Γ .

(a) $\llbracket A \rrbracket_\Gamma$ being $A := a(b.0 + b.c.A)$

(b) $\llbracket B \rrbracket_\Gamma$ being $A := a.A + \tau.b.A$ and $B = a.A + b.A$

(c) $\llbracket A \rrbracket_\Gamma$ being

$$C := c.C + D$$

$$D := 0 + c.C$$

(d) $\llbracket C_0 \rrbracket_\Gamma$ being

$$C_0 := inc.C_1$$

$$C_n := inc.C_{n+1} + dec.C_{n-1}, \text{ para } n \geq 1$$

(e) $\llbracket X \rrbracket_\Gamma$ and $\Gamma = \{(X, X + 0)\}$

6. Say if A and B are guarded or unguarded: $A := a.A + B$ and $B := b.B + A$.

7. Say which variables are guarded in the following equations: $C := c.C + D$, $D := 0 + c.C$
 $A := b.0 + A$ e $B := b.B + a.A$.