Applied Cryptography Week 3: Block Ciphers

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M:ERSI, M:SI, M:CC - 25

Defining Block Ciphers

A block cipher is defined by two deterministic algorithms

Encrypt: E(k, p)

- Takes a key $k \in \{0,1\}^{\lambda}$
- Takes a plaintext block $p \in \{0,1\}^B$
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Decrypt: D(k,c)

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- Outputs a plaintext block $p \in \{0, 1\}^B$

A block cipher is **invertible**: k defines a **permutation**

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Advantage:
$$|\Pr[b = b'] - \frac{1}{2}|$$

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- Huge table with 2^B entries, indexed by plaintext p
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- Each C is sampled uniformly at random, without repeats
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Implications

- Ciphertext blocks look totally random
- Different inputs ⇒ independent outputs
- Must be impossible to recover key

E and D work on bitstrings of size B – the block size

Data Encryption Standard (DES, 70s-90s): B = 64 (8 bytes)

Advanced Encryption Standard (AES, 2000s-): B = 128 (16 bytes)

Selecting the Block Size

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Data Encryption Standard (DES, 70s-90s): B = 64 (8 bytes)

Advanced Encryption Standard (AES, 2000s-): B = 128 (16 bytes)

- Block must be small for efficient SW/HW implementation
- Block cannot be too small
 - Constructions based on block ciphers
 - Key space 2^λ
 - Block size must be close to the security parameter $B \approx \lambda$

Some encryption schemes based on block constructions are insecure if the block size is too small (64 can be problematic). More information **here**

Shorter descriptions and code/HW footprints:

- Simple and efficient round algorithm R
- Round algorithm is not as secure as a block cipher
- Block cipher iterates round algorithm *n* times

Iterated Ciphers: Rounds

Shorter descriptions and code/HW footprints:

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- Round algorithm is not as secure as a block cipher
- Block cipher iterates round algorithm *n* times
- Each round takes a different key
 - Round key derived from block cipher key
 - Sequence of round keys called key schedule
- Decrypting follows the same method in reverse
- E.g. for a 3 round scheme:

$$c \leftarrow E(k,p) = R_3(k_3, R_2(k_2, R_1(k_1, p)))$$
$$p \leftarrow D(k,c) = R_1^{-1}(k_1, R_2^{-1}(k_2, R_3^{-1}(k_3, c)))$$

- Substitution: S-boxes are small lookup tables (4-8 bits) designed to introduce non-linearity in the round function. They create confusion
- Permutation: Bit-level transformations (e.g. switches) or algebraic functions that introduce dependencies across the whole block (diffusion)

Round Functions #1: Substitution-Permutation Networks

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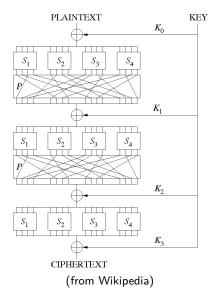
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S-boxes heuristically designed to

- Create complex relations between input and output
- Minimize statistical bias in outputs

Example block cipher: AES



Round function processes half of the block

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Unprocessed half-block is masked to the next round

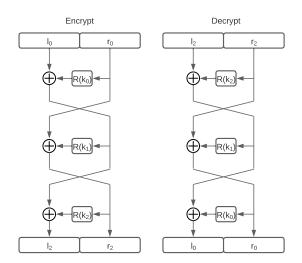
Decryption is identical to encryption

- Only key scheduling is inverted
- Very important for HW optimization in the 70s

Example block cipher: DES, GOST

Feistel Networks - High-level View

Advanced Encryption Standard



Round Functions for Feistel Networks

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- If the round function is secure, 4 rounds ensure a PRP!
- Practical block ciphers use extra rounds
 - Round functions heuristically designed

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- There are two main ways to build block ciphers
 - SPN Substitution-Permutation Networks
 - ... We substitute, then permute
 - Feistel Networks
 - ... We transform right side, then swap

- DES was still standard (56-bit keys)
- 3DES was a common solution for short keys (112-bit security)
- 3DES: use DES 3 times with 3 independent keys
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AES was standardized in 2000

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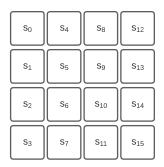
AES is now the most used block cipher, by far

Available in mainstream CPUs as HW implementation

Selected as a result of a competition

- 1997-2000 public competition run by NIST
- This process has since become the norm
- Criteria: performance and resistance to cryptanalysis

- Block size 128-bits and varying key size (128, 192, 256)-bits
- Keeps a 128-bit internal state: 4 x 4 array of 16-bytes
- State is transformed using a substitution-permutation network



Substitutions/permutations have an algebraic description

Advanced Encryption Standard

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The substitution-permutation network uses:

- AddRoundKey ⊕ with the state
- **SubBytes** Replace each byte using lookup table (S-Box)
- **ShiftRows** Matrix rows shifted 0..3 positions
- MixColumns Columns transformed

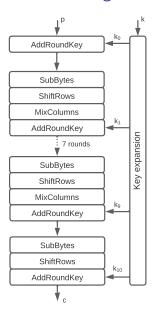
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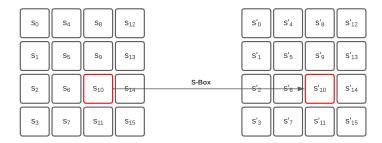
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SubBytes performs the substitution part

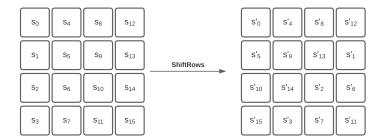
ShiftRows and **MixColumns** are the permutation

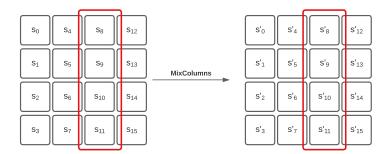
Last round has no MixColumns. Not necessary. Read more here





Internals of AES - ShiftRows





Implementing AES

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Advanced Encryption Standard

The not so good

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The good

- AES is super fast in mainstream processors
- AES-NI AES Native Instructions
- From SW one can resort to HW AES

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Advanced Encryption Standard

There is no mathematical proof that AES is a PRP All practical applications based on AES assume this

Security of AES

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AES has been around for 25 years:

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Assuming AES is a PRP gives us provably secure and very efficient symmetric encryption schemes

Quantum Exhaustive Search

- Given m, c = E(k, m), define
- f(k) = 1 if E(k, m) = c
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Grover's algorithm: Quantum computer can find $k \in K$ in time $O(|K|^{\frac{1}{2}})$

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Q: How can we get 2^{128} bit security then?

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Q: How can we get 2^{128} bit security then? Just use 256-bit keys.

Recall our secure PRP block cipher building block:

Encrypt: E(k, p)

- Takes a key $k \in \{0,1\}^{\lambda}$
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Q: What problem arises in using this to encrypt messages?

Modes of Operation

Modern cryptography clearly defines these concepts

- Block-ciphers are a primitive
- On their own, they're not very useful
- There are **insecure** ways to encrypt with a block cipher
- Encryption schemes have their own security definitions
- Encryption schemes built from block ciphers
- We prove encryption secure assuming a block cipher PRP

Syntax

- Key Generation: Often uniform sampling in $\{0,1\}^{\lambda}$
- Encryption: Probabilistic algorithm $c \leftarrow s E(k, m)$
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Security (IND-CPA): Semantic Security

- Experiment samples k and bit b uniformly at random
- Attacker can guery encryptions of chosen messages
- Attacker outputs (m_0, m_1) s.t. $|m_0| = |m_1|$
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Advantage: $|\Pr[b=b']-\frac{1}{2}|$

Electronic-Code-Book Mode (ECB)

- Break message into plaintext blocks p_0, \ldots, p_n
- Last block may need padding
 - That's a can of worms in and of itself
 - More on that later
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Ciphers Building Block (

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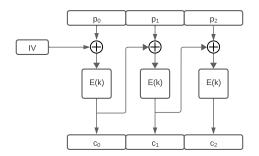
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Q2: Can we prove it is insecure not querying exactly m_0/m_1 ?

Engineers designed a secure encryption scheme before security proofs were well understood

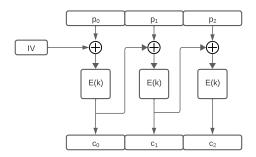


- Main difference to ECB is the Initialization Vector (IV)
- Blocks depend on each other

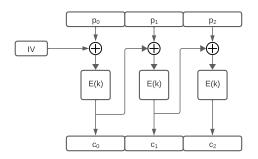
Cipher Block Chaining: Performance and Security

Intuition of CBC security

- Random IV makes first block-cipher input random
- Block cipher security implies c₁ looks random and independent
- CBC uses c₁ as the IV for the second block
- Same argument for c_2
- Two encryptions of the same plaintext look independent



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- Q1: How can we do decryption?
- Q2: Can we speed encrypt/decrypt with parallelism?

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The most common padding scheme is specified in PKCS#7:

- Let k > |M| be the next multiple of B (in bytes)
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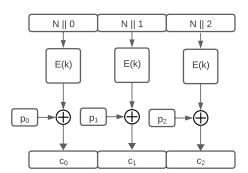
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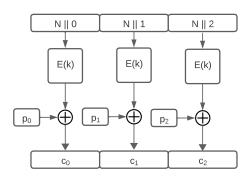
Q: What is the minimum and maximum of added padding?

Often Counter Block Mode (CTR) is used in Nonce-based form



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- Q: How can this be faster than CBC?

Counter mode is very efficient

- Key stream can be pre-processed
 - Block cipher not applied to the message!
- Any part of the data can be accessed efficiently
- This includes read/write access
- Decryption/encryption can be parallelized

As such, many modern protocols rely on CTR mode

Recall the guarantees of IND-CPA

- Attacker has access to encryptions
- Can't extract any information about messages
- What if it has access to side information on decryption?
- No guarantee that modified ciphertext is rejected: what leaks?

Errors in Designing Modes of Operation

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At the root of the problem: allowing non-authenticated ciphertexts

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- Currently the *de facto* standard for block ciphers
- Block ciphers by themselves are **insecure**

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- Currently the *de facto* standard for block ciphers
- Block ciphers by themselves are **insecure**
- Symmetric encryption requires two ciphertexts to be indistinguishable

- AES selected via public competition
 - ... as all modern ciphers are
- SubBvtes: ShiftRows; MixColumns; AddRoundKey
- Currently the *de facto* standard for block ciphers
- Block ciphers by themselves are **insecure**
- Symmetric encryption requires two ciphertexts to be indistinguishable
- So we rely on modes of encryption: ECB, CBC, CTR

Applied Cryptography Week 3: Block Ciphers

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